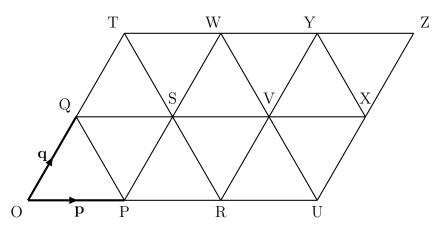
1. The diagram below shows 12 congruent triangles.



 $\overrightarrow{OP} = \mathbf{p}$ {Handwriting **bold** is hard to do so mathematicians write $\underline{\mathbf{p}}$ instead of \mathbf{p} } $\overrightarrow{OQ} = \mathbf{q}$ {and write q instead of \mathbf{q} }

Find in terms of \mathbf{p} and \mathbf{q} the vectors

(i)
$$\overrightarrow{PU} = \dots$$

(ii)
$$\overrightarrow{PS} = \dots$$

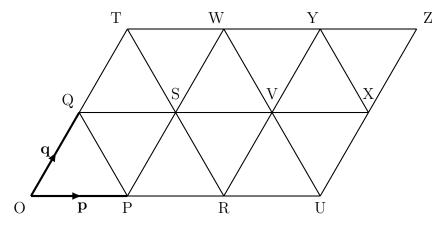
(iii)
$$\overrightarrow{RY} = \dots$$

(iv)
$$\overrightarrow{TY} = \dots$$

(v)
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(vi)
$$\overrightarrow{QX} = \dots$$

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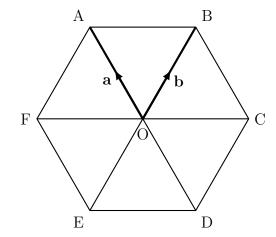
(vi)
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2. The diagram below shows regular hexagon ABCDEF

O is the centre of the hexagon

$$\overrightarrow{OA} = \mathbf{a}$$

$$\overrightarrow{OB} = \mathbf{b}$$



Write an expression, in terms of a and b for

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(ii)
$$\overrightarrow{FA} = \dots$$

(iii)
$$\overrightarrow{EB} = \dots$$

(iv)
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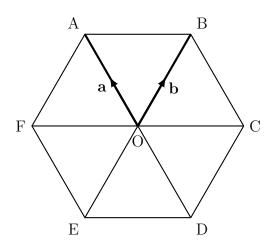
Answers 1 (i) 2p

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Answers 1 (i) 2p

$$(ii) \mathbf{q}$$

(iii)
$$2\mathbf{q}$$

(iv)
$$2\mathbf{p}$$

$$(v) 2q$$
 $(vi) 3p$